



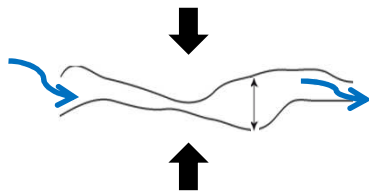
Laboratoire de
Géologie

Permeability of cracked rocks and glass

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Permeability in the upper crust

- Basaltic ocean crust permeability decrease from near surface values (100 mD) to low values (< 0.1 mD) at 1km and deeper (Fisher, 1998)
- From log data, evidence of crack networks (Violay, 2010)
- Permeability-depth variation can be interpreted by crack closure (low T conditions, no sealing)



Cracks play a major role

Low permeability rocks under confining pressure

Reference	Rock type (low porosity rocks)	$a, 10^{-2} \text{ MPa}^{-1}$	$P^* = a^{-1}, \text{ MPa}$
YALE (1984)	tight sandstones	3.8 - 6.3	15.9 - 26.3
BRACE <i>et al.</i> (1968)	Westerly granite	3.3	30.6
BERNABE (1986)	Chelmsford granite	2.9	34.6
	Barre granite	2.3	42.7
FISHER and PATERSON (1992)	Carrara marble	4.7	21.3
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	basalt [Kola]	10.2	9.8
	amphibolite [KTB]	5.8 - 11	9.1 - 17.2

$$k = k_0 e^{-aP}$$



Cracks ?

$10 < P^* < 40$
(MPa)

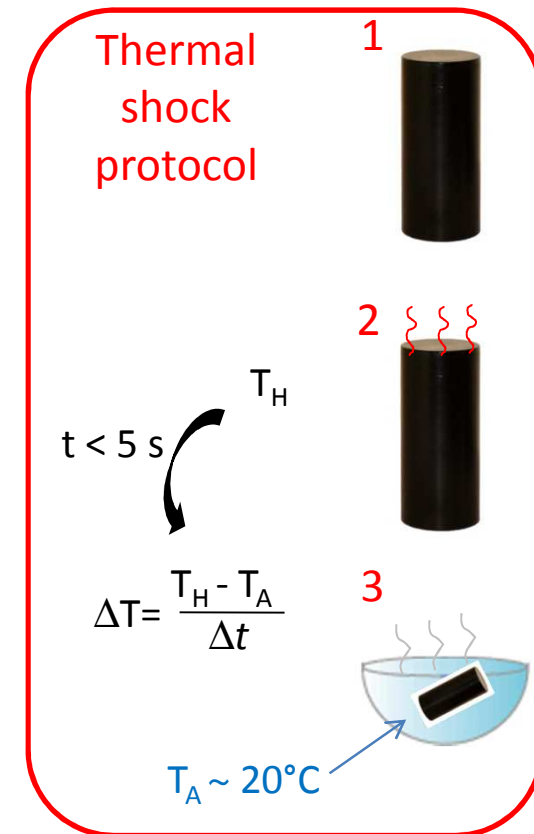
An absolute reference: glass + cracks

Low permeability rocks : cracks ?

An ideal case: intact synthetic glass with cracks

How to introduce cracks in glass samples ?

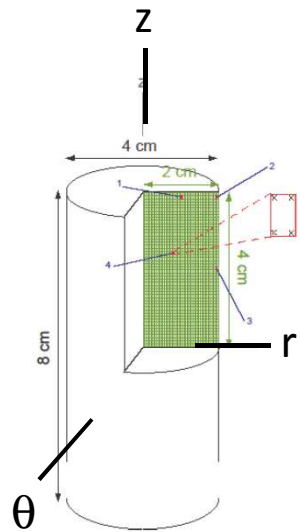
- *thermal shock*
- *cracks only*



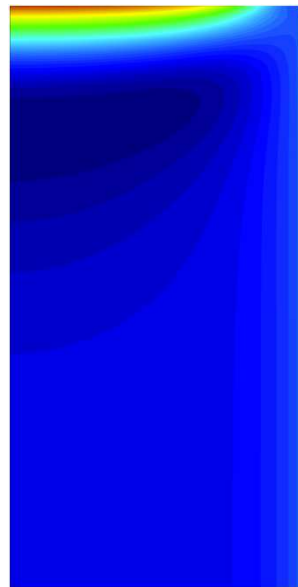
$T_H = 100, 200 \text{ and } 300^\circ\text{C}$

Shocked glasses: temperature and stress distribution

t = 20s after thermal shock



σ_{rr} field



200 TT

143 MPa



-36 MPa

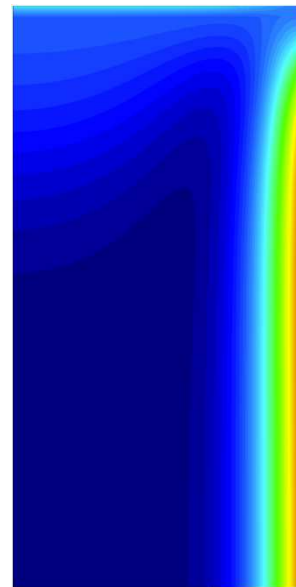
300 TT

249 MPa



-58 MPa

σ_{zz} field



200 TT

135 MPa



-38 MPa

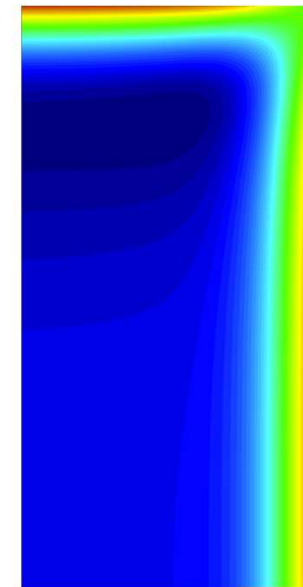
300 TT

237 MPa



-61 MPa

$\sigma_{\theta\theta}$ field



200 TT

183 MPa



-61 MPa

300 TT

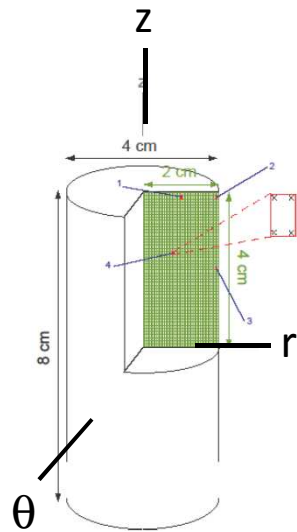
418 MPa



-92 MPa

Shocked glasses: temperature and stress distribution

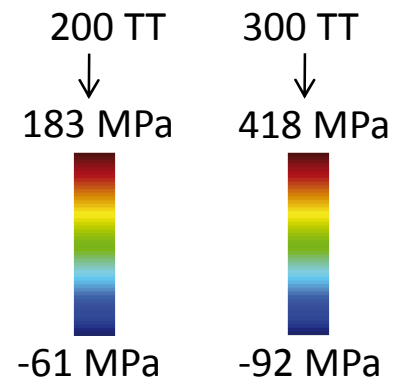
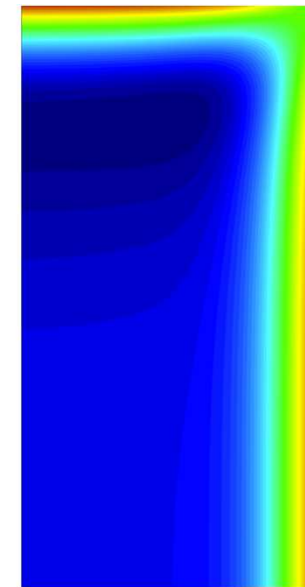
t = 20s after thermal shock



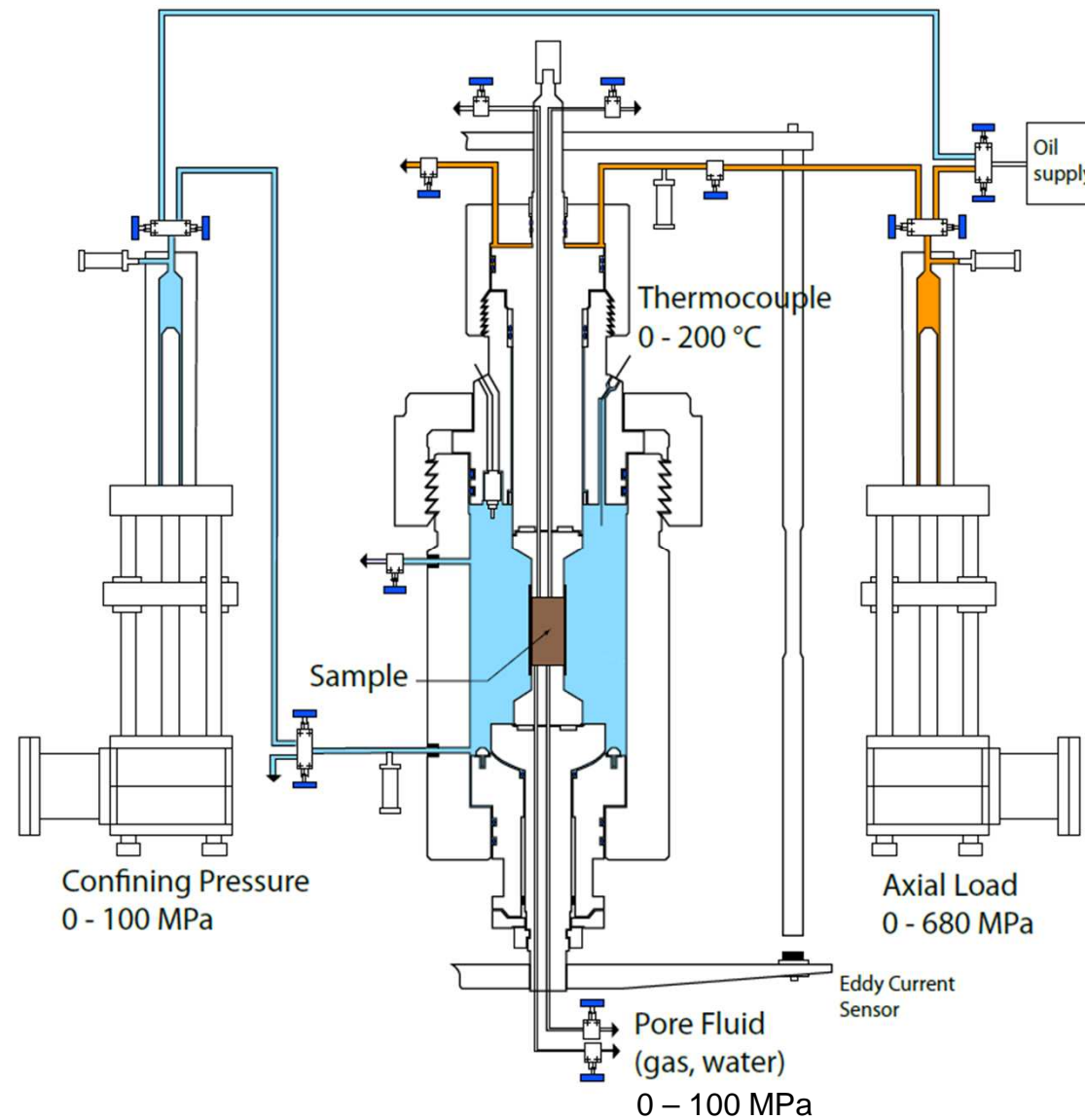
Outward ring : in traction
Inner core: in compression

→ Mostly vertical cracks in the outward ring

$\sigma_{\theta\theta}$ field



Triaxial cell apparatus: Measurement of V_p , V_s , k

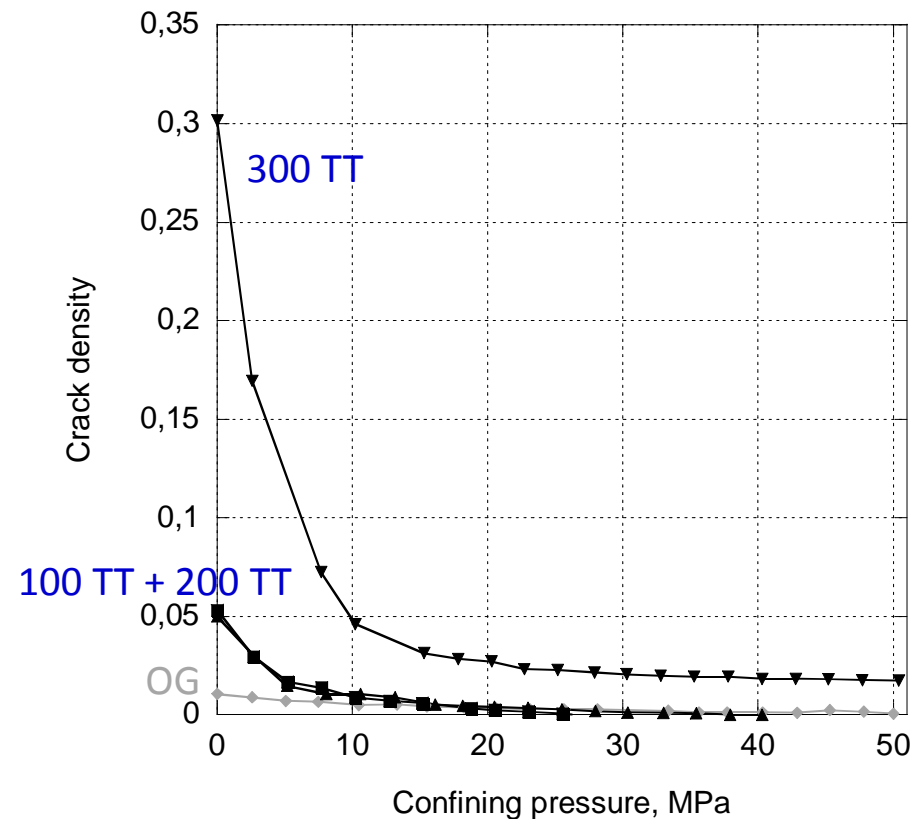


Crack density (from Vp, Vs) variation with pressure

Crack density is obtained from elastic moduli K and G (Vp and Vs)

$$\left\{ \begin{array}{l} \frac{K_o}{K} = 1 + \rho_c \frac{h}{1-2\nu_o} \left(1 - \frac{\nu_o}{2}\right) \\ \frac{G_o}{G} = 1 + \rho_c \frac{h}{1+\nu_o} \left(1 - \frac{\nu_o}{5}\right) \end{array} \right.$$

Crack aspect ratio ξ



➡ Crack closure:

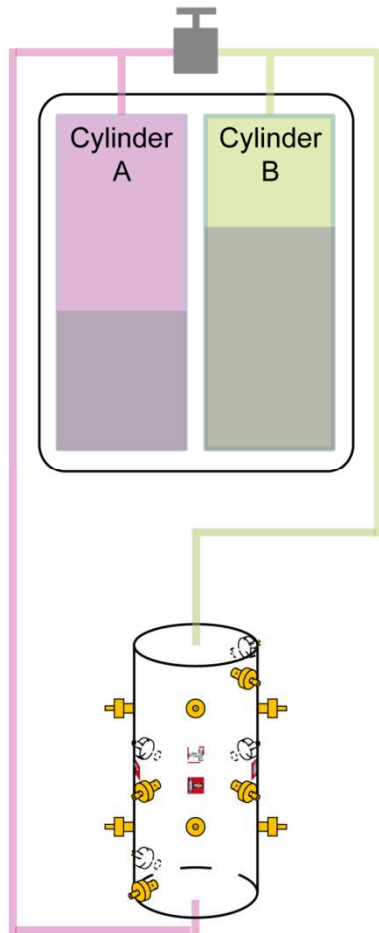
at $P_{\text{hydro}} \approx 15$ MPa for shocks at 100 and 200 °C

at $P_{\text{hydro}} \approx 40$ MPa for shock at 300°C

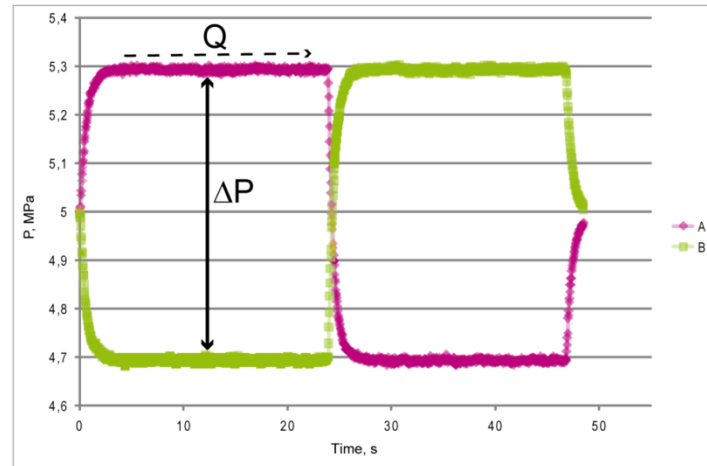
➡ $\xi \sim 10^{-3}$ to 10^{-4}

Methods of measurements of permeability

a) Constant flow method



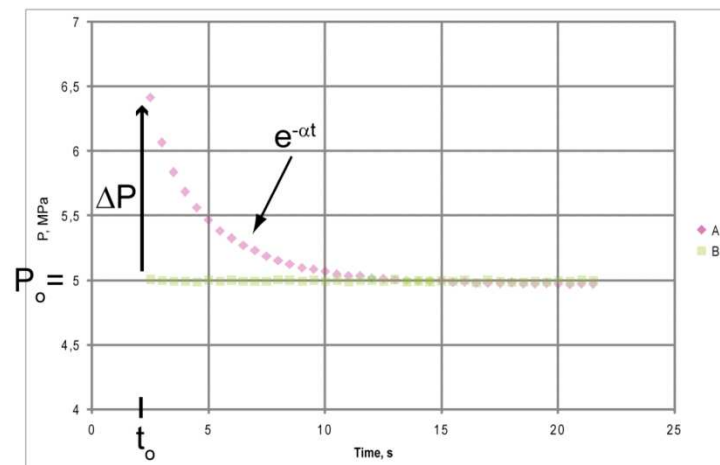
300 °C samples



→ $P_{\text{eff}} < 10 \text{ MPa}$

$$\text{Darcy's law: } k = \frac{Q}{\Delta P} \frac{L}{A} \mu$$

b) Pulse decay method (1/2-pulse)

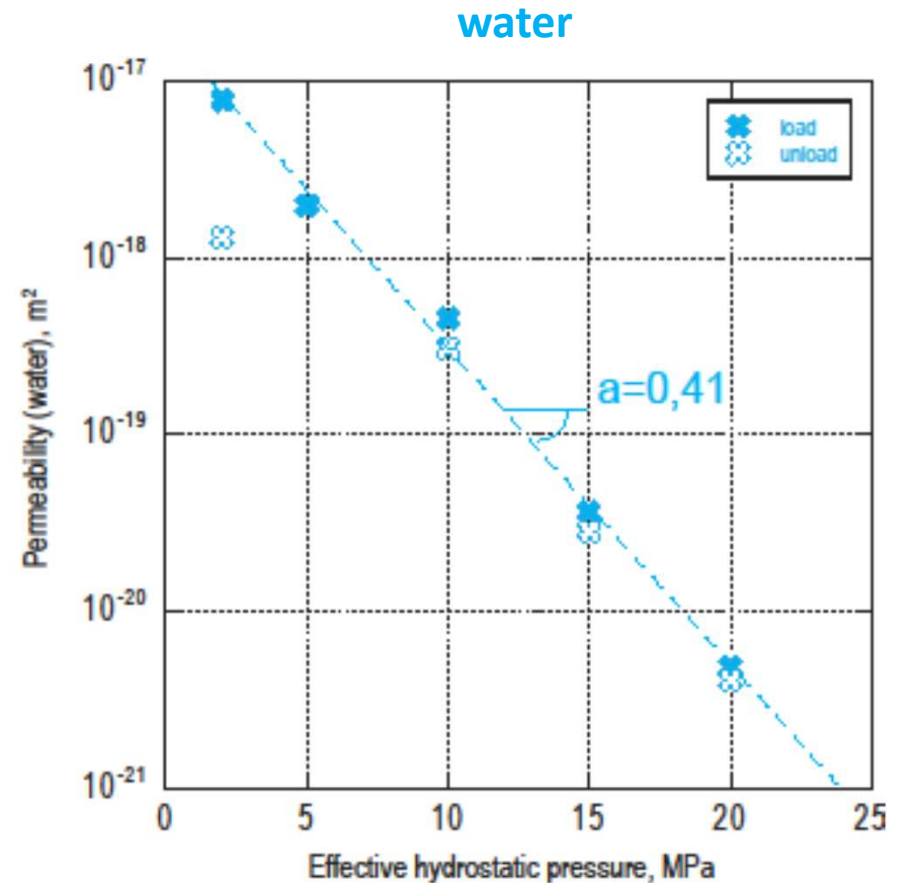
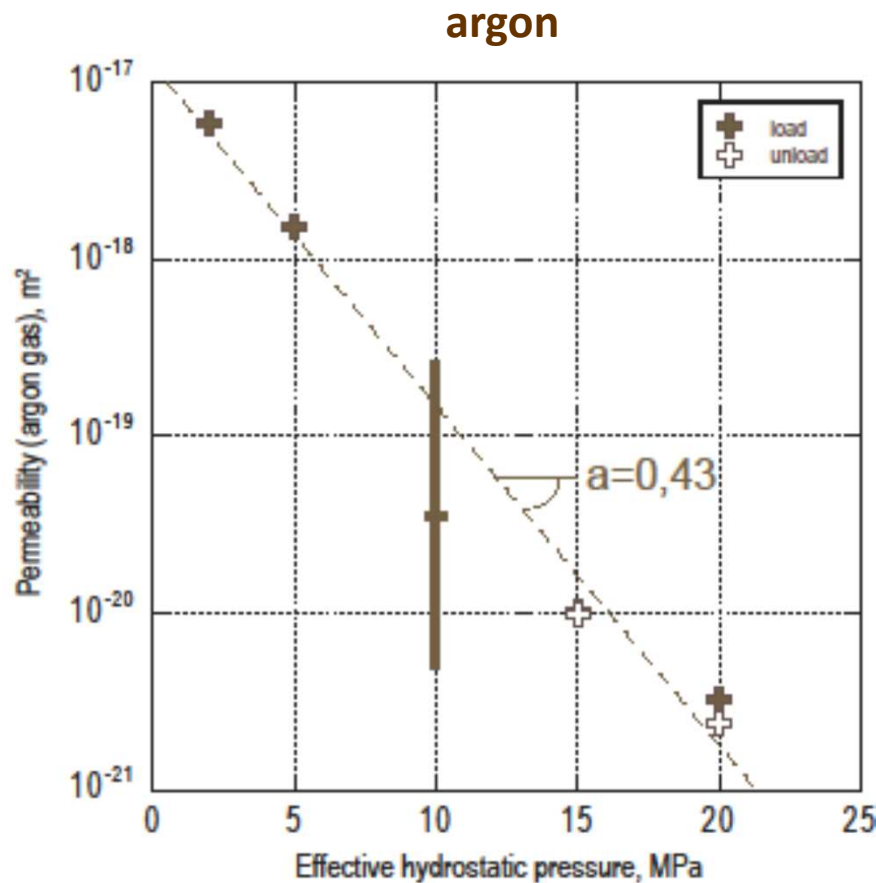


→ $P_{\text{effective}} \geq 10 \text{ MPa}$

$$k = \alpha \beta \frac{L}{A} \mu V_{\text{pulse}}$$


Brace *et al.* (1968)

Cracked glass permeability under confining pressure



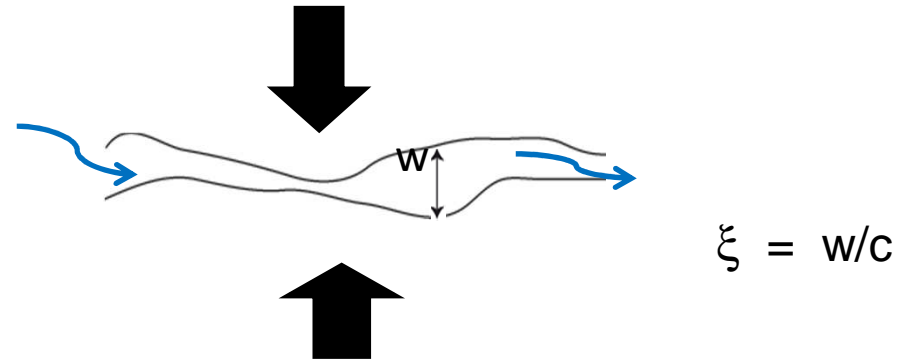
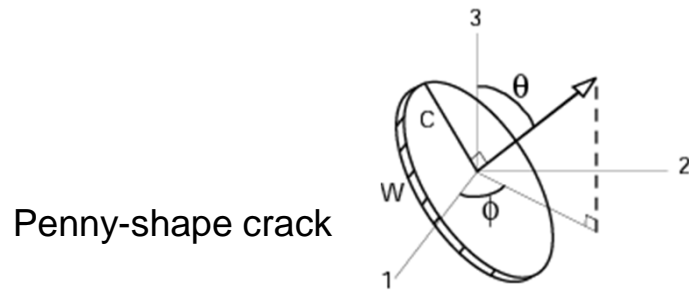
➔ $k = k_o e^{-aP}$ and $a^{-1} = P^* \sim 2.4 \text{ MPa}$

Comparison with low permeability rocks

Reference	Rock type (low porosity rocks)	$a, 10^{-2} \text{ MPa}^{-1}$	$P^* = a^{-1}, \text{ MPa}$
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	 SON68 glass	$a = 0.4 \text{ MPa}^{-1}$	$P^* = 2.4 \text{ MPa}$

$$k = k_o e^{-aP}$$

Permeability and crack closure



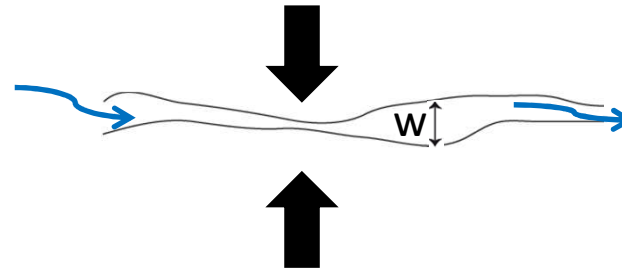
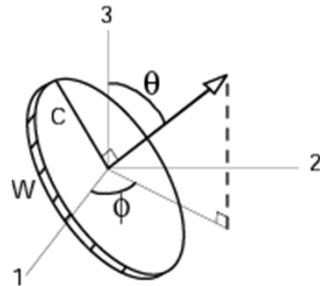
data $\longrightarrow k = k_0 e^{-aP}$

Crack elastic closure $\longrightarrow w \sim w_0 \left(1 - \frac{P}{E \xi}\right)$

Cubic law $\longrightarrow k \sim w^3$

P^* value in cracked rocks and glass: $k = k_0 e^{-P/P^*}$

Penny-shape crack



$$\xi = w/c$$

$$k = k_0 e^{-aP}$$

$$w \sim w_0 \left(1 - \frac{P}{E\xi}\right)$$

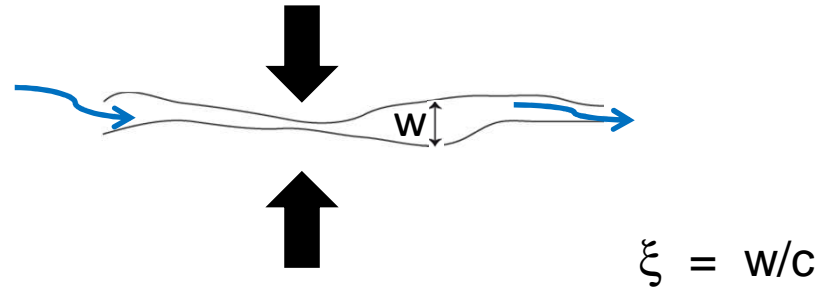
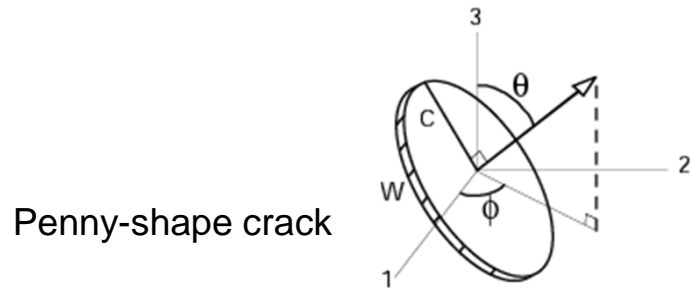
$$k_0 e^{-aP} \propto w_0^3 \left(1 - \frac{P}{E\xi}\right)^3$$

This implies :

$$a = \frac{3}{E\xi}$$

or : $P^* = E\xi / 3$

P^* value in glass : $k = k_0 e^{-P/P^*}$



$$P^* = E\xi / 3$$

With : $E = 80 \text{ GPa}$ and $\xi = 10^{-4}$



$P^* = 2.6 \text{ MPa}$

(Measured value: $P^ = 2,4 \text{ MPa}$)*

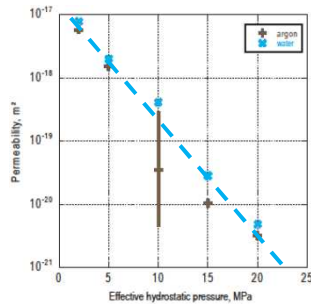
In glass, no microstructure (but a nanostructure)



Very sharp crack tip

Conclusions: permeability of cracked rocks and glass

➔ Experimental data on cracked rocks and glass permeability with P



- **Permeability decreases follows an exponential law in cracked rocks and glass**

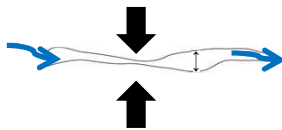
- $k = k_0 e^{-P/P^*}$, where $P^* = E\xi / 3$

- **Very sharp crack tips in glass : $P^* = 2 - 3$ MPa, aspect ratio**

$\xi \sim 10^{-4}$

- **In rocks, $P^* = 10 - 40$ MPa**

aspect ratio $> 10^{-3}$



➔ Further work in progress (see C. Mallet poster)