



Fracture behaviour of slate

Combined analysis of experiments and simulations

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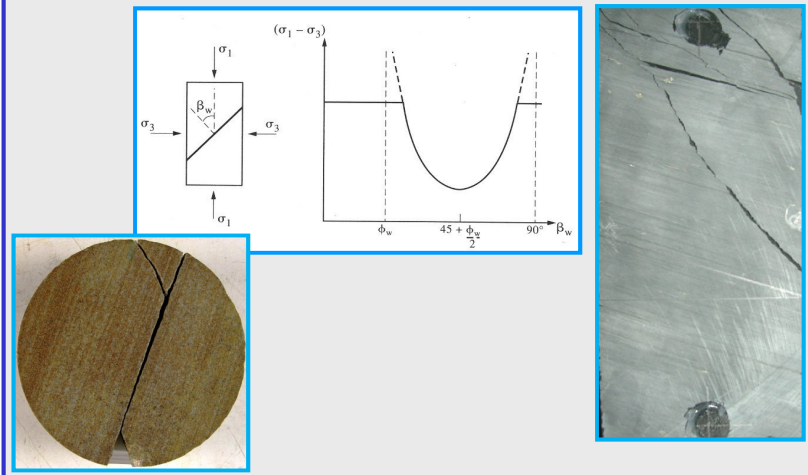
The global research of the past years focused on

- Rock with planar heterogeneities (e.g. pre-existing fractures, veins)
- Layered rock : e.g. **slate** ('schistosity'), siltstone and layered sandstone





Transversally isotropic behaviour



The main question :

Is the behaviour of such rock as simple as usually assumed?

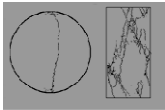
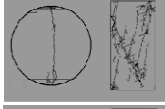
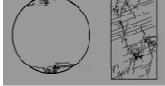
The answer is no.

The degree of μ -scale anisotropy determines the sample strength, fracture pattern and fracturing mechanisms.

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Framework relating μ -scale anisotropy to

	Strength (sample scale) & fracture pattern	Fracture pattern	Examples
Small or no strength anisotropy	$=f(\text{layer})$ $=f(\text{non-layer})$ $\neq f(\theta)$		layered sandstone (Tavallali)
Medium strength anisotropy	$=f(\text{layer})$ $=f(\text{non-layer})$ $=f(\theta)$		siltstone (Debecker)
Large strength anisotropy	$=f(\text{layer})$ $\neq f(\text{non-layer})$ $=f(\theta)$		slate (Debecker)

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Aim of the study

To map, identify and analyse individual fracture growth in slate by a combined approach of experiments and numerical simulations

1. To contribute to the development of
 - numerical modelling of individual fracture growth (DEM)
 - experimental techniques (Image analysis & AE-localisation)
2. To construct a framework that relates μ -strength anisotropy to
 - macro-strength anisotropy
 - fracture behaviour (patterns and mechanisms)
 - deformation behaviour

Diametrical load tests

Uniaxial load tests ($\theta = 20^\circ$)



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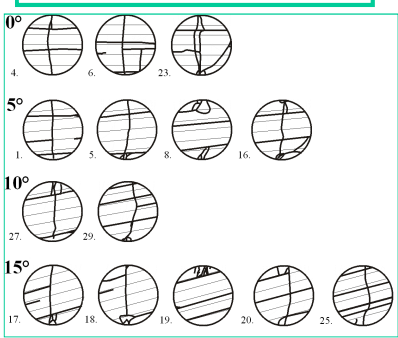


Diametrical Load Tests *experiments*

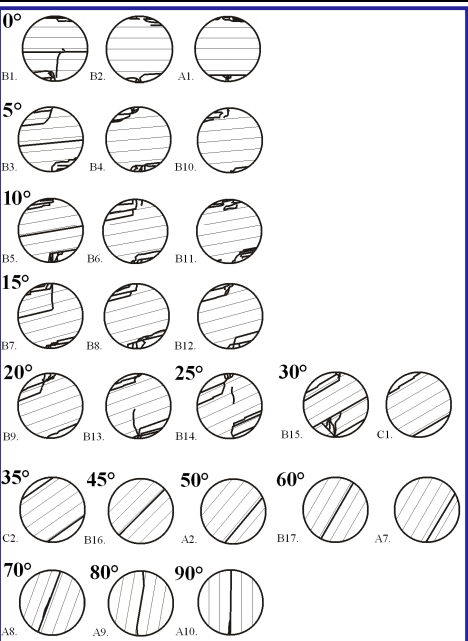
Large strength anisotropy
(slate)

Medium strength anisotropy
(siltstone)

Medium strength anisotropy (siltstone)



Large strength anisotropy (slate)





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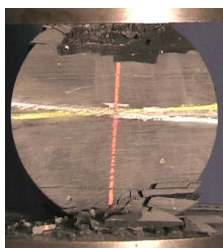


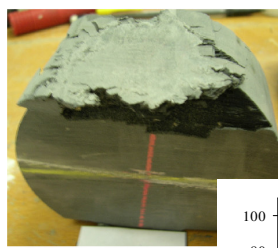
Diametrical Load Tests *experiments*

Large strength anisotropy
(slate)

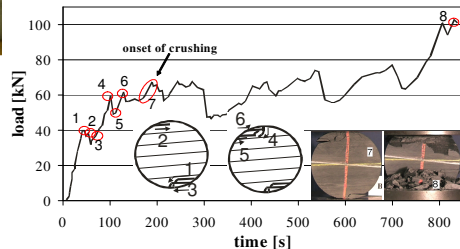
$\theta : 5^\circ$

Intensive μ -fracturing results in **crushing** of slate samples





→ contact surface increases,
load does not decrease



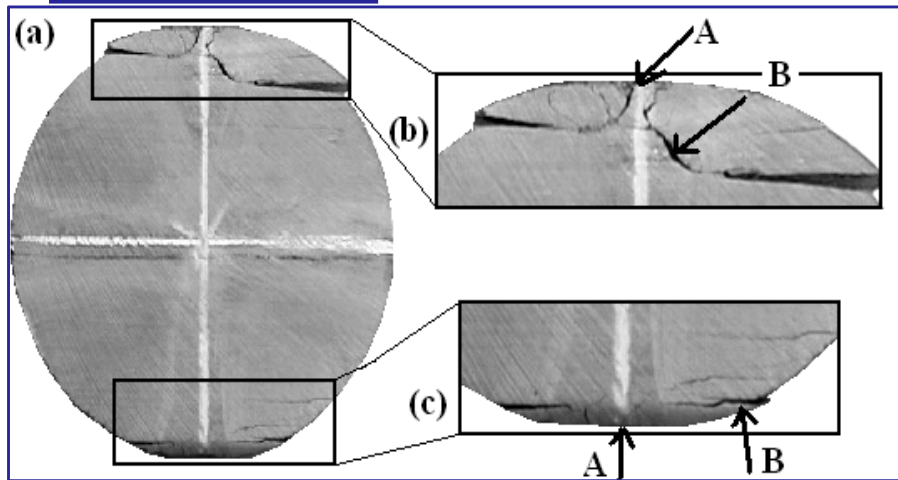


Diametrical Load Tests

experiments

Large strength anisotropy
(slate)

$\theta : 0^\circ$

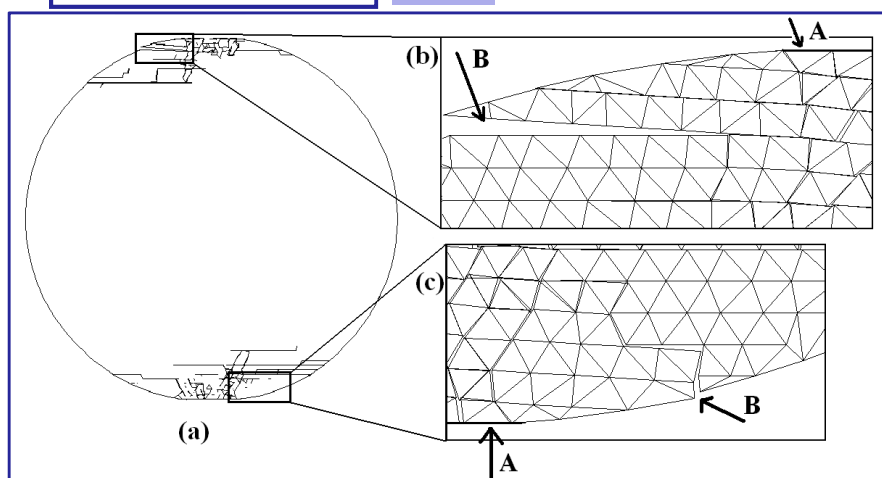


Diametrical Load Tests

simulations

Large strength anisotropy
(slate)

$\theta : 0^\circ$





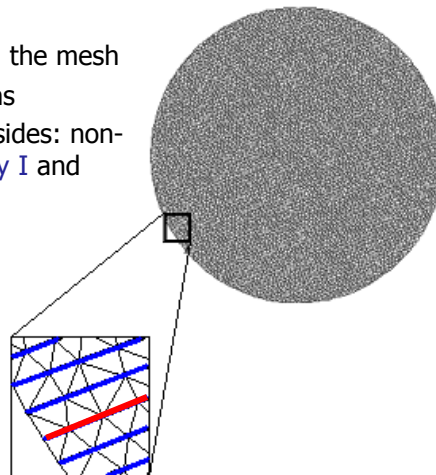
Numerical Simulations

Distinct element code UDEC

Sides of triangular blocks form the mesh

Mesh = potential fracture paths

Three different properties for sides: non-schistosity direction, *schistosity I* and *schistosity II*

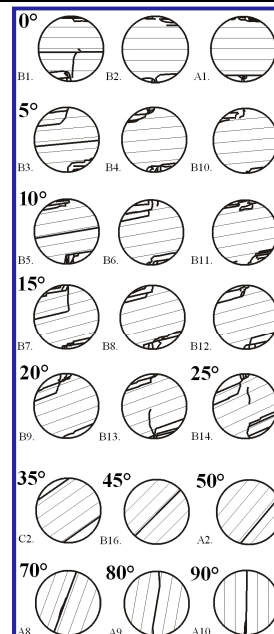
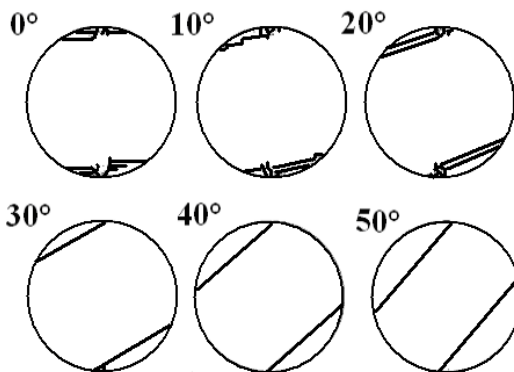


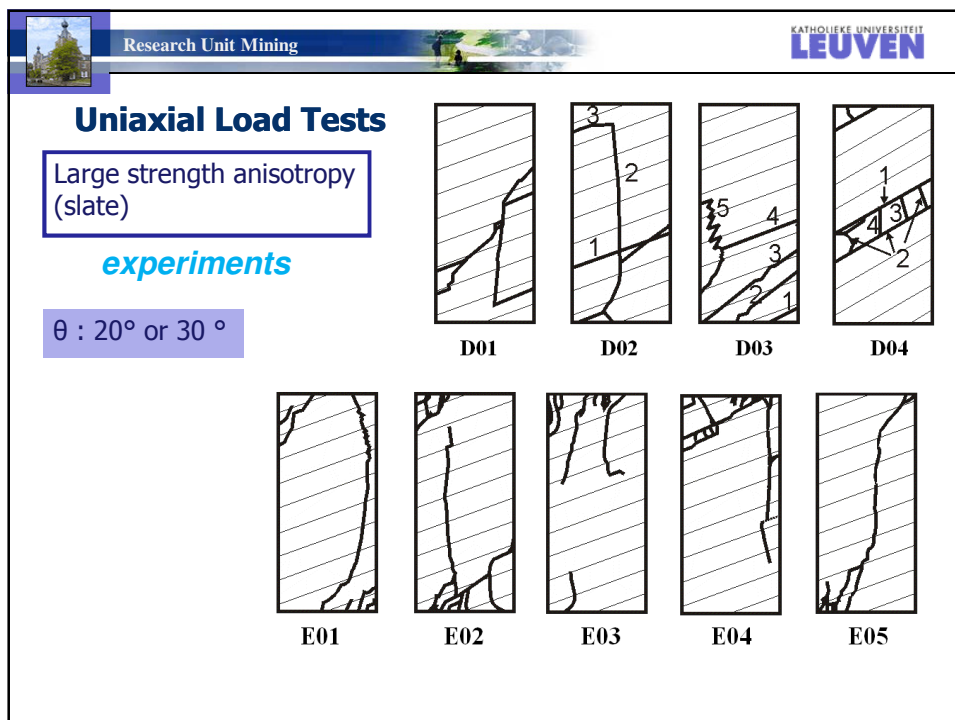
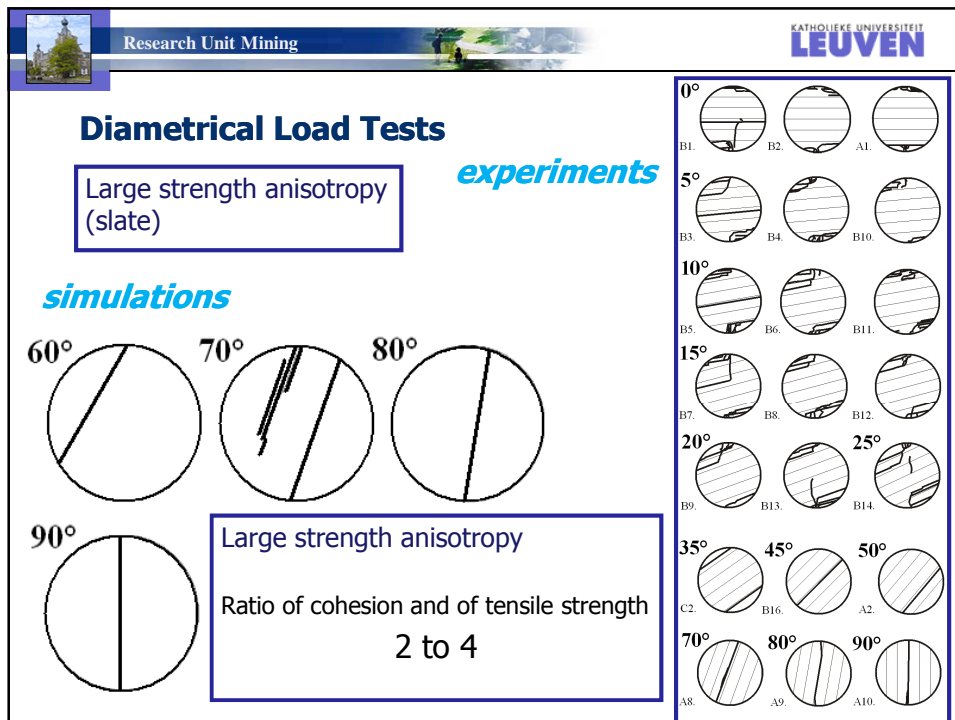
Diametrical Load Tests

Large strength anisotropy
(slate)

experiments

simulations





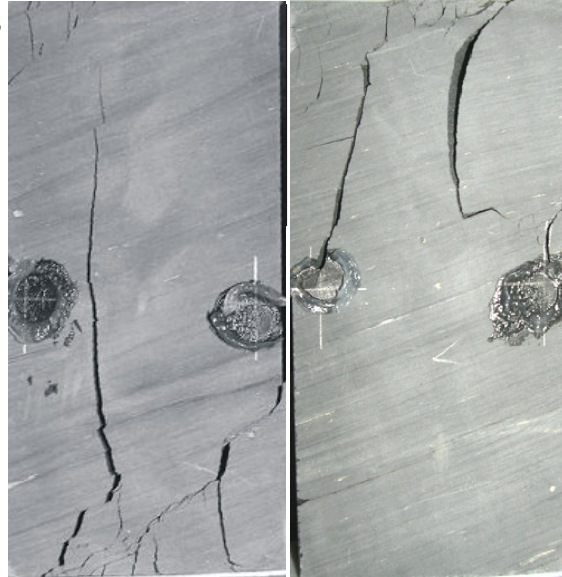


Uniaxial Load Tests

Large strength anisotropy
(slate)

experiments

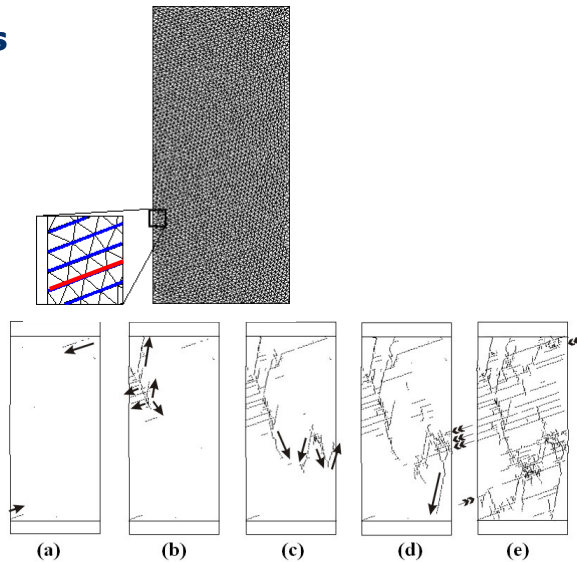
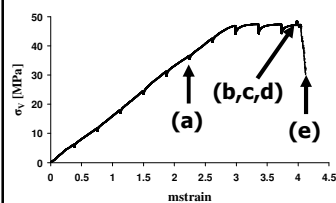
$\theta : 20^\circ \text{ or } 30^\circ$



Uniaxial Load Tests

Large strength anisotropy
(slate)

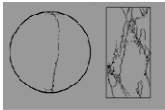
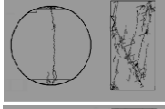
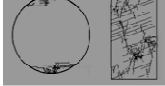
simulations



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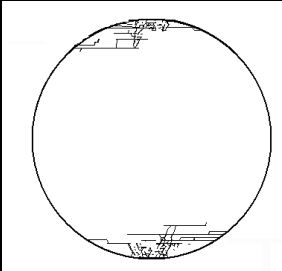
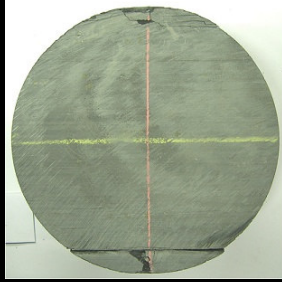
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Conclusion: importance of μ -scale anisotropy

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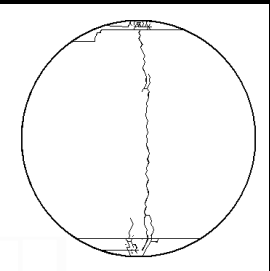
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